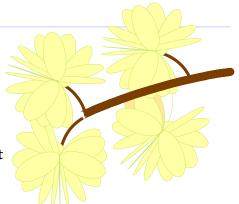
Chapter 12. Numbers in Nwehu Nuswei

Latest revision: 2024-08-21

12.1. Counting

Counting can be done in Nwehu Nuswei either using the language's native base 16 system, or the more familiar base 10. Two sets of 256-word GENI (λ_L -- Ti-- and λ_P -- Ta--) are set aside for basic counting, and additional words are made available to express larger numbers, negatives, fractions, and special numbers used in mathematics. Note that "Qualitative Concepts" are related and begin with λ_d - Te- but are discussed in their own chapter, "Love and Hate".



12.1.1. Basic Numbers

- Basic **hexadecimal** numbers 0-255 are the GENUS beginning $\frac{1}{10}$ Ti-
- Basic **decimal** numbers 0-100 are are the GENUS beginning <code>Np-Ta-</code>, but forms ending <code>-H-we</code> through <code>-H-woi</code> and <code>Nphi</code> Tati through <code>Nphi</code> Tabwoi are defined as 'meaningless'. Undefined forms <code>Nphi</code> Tati through <code>Nphi</code> Tabwoi may be used for other concepts, but all forms <code>Nphi</code> Tahi through <code>Nphi</code> Tacwoi are reserved to prevent ambiguity.
- **Negative** numbers are indicated with a \lor w in the first vowel of the basic numbers: GENI \lor q. Twi and \lor q. Twa —.

12.1.1.1. Hexadecimal Numbers – Base 16

Because NN is based on hexadecimal numbers, the "native" way of counting is in base 16. (Dp 12.1)

0	1	2	3	4	5	6	7	8	9	А	В	C	D	Е	F
tihu	tihi	tihe	tihei	tiha	tihai	tiho	tihoi	tihw	tihwi	tihwe	tihwei	tihwa	tihwai	tihwo	tihwoi
10	11	12	13	14	15	16	17	18	19	1A	1B	1C	1D	1E	1F
tixu	tixi	tixe	tixei	tixa	tixai	tixo	tixoi	tixw	tixwi	tixwe	tixwei	tixwa	tixwai	tixwo	tixwoi
20	21	22	23	24	25	26	27	28	29	2A	2B	2C	2D	2E	2F
tisu	tisi	tise	tisei	tisa	tisai	tiso	tisoi	tisw	tiswi	tiswe	tiswei	tiswa	tiswai	tiswo	tiswoi
30	31	32	33	34	35	36	37	38	39	3A	3B	3C	3D	3E	3F

Nwehu Nuswei	Chapter 12.	Numbers in Nwehu Nuswei

tifu	tifi	tife	tifei	tifa	tifai	tifo	tifoi	tifw	tifwi	tifwe	tifwei	tifwa	tifwai	tifwo	tifwoi
40	41	42	43	44	45	46	47	48	49	4A	4B	4C	4D	4E	4F
tiru	tiri	tire	tirei	tira	tirai	tiro	tiroi	tirw	tirwi	tirwe	tirwei	tirwa	tirwai	tirwo	tirwoi
50	51	52	53	54	55	56	57	58	59	5A	5B	5C	5D	5E	5F
tiyu	tiyi	tiye	tiyei	tiya	tiyai	tiyo	tiyoi	tiyw	tiywi	tiywe	tiywei	tiywa	tiywai	tiywo	tiywoi
60	61	62	63	64	65	66	67	68	69	6A	6B	6C	6D	6E	6F
tinu	tini	tine	tinei	tina	tinai	tino	tinoi	tinw	tinwi	tinwe	tinwei	tinwa	tinwai	tinwo	tinwoi
70	71	72	73	74	75	76	77	78	79	7A	7B	7C	7D	7E	7F
timu	timi	time	timei	tima	timai	timo	timoi	timw	timwi	timwe	timwei	timwa	timwai	timwo	timwoi
80	81	82	83	84	85	86	87	88	89	8A	8B	8C	8D	8E	8F
tiku	tiki	tike	tikei	tika	tikai	tiko	tikoi	tikw	tikwi	tikwe	tikwei	tikwa	tikwai	tikwo	tikwoi
90	91	92	93	94	95	96	97	98	99	9A	9B	9C	9D	9E	9F
ticu	tici	tice	ticei	tica	ticai	tico	ticoi	ticw	ticwi	ticwe	ticwei	ticwa	ticwai	ticwo	ticwoi
Ao	A1	A2	А3	A4	A5	A6	A7	A8	A9	AA	AB	AC	AD	AE	AF
titu	titi	tite	titei	tita	titai	tito	titoi	titw	titwi	titwe	titwei	titwa	titwai	titwo	titwoi
Во	B1	B2	В3	В4	B5	В6	В7	В8	В9	ВА	ВВ	ВС	BD	BE	BF
tipu	tipi	tipe	tipei	tipa	tipai	tipo	tipoi	tipw	tipwi	tipwe	tipwei	tipwa	tipwai	tipwo	tipwoi
Co	C1	C2	С3	C4	C5	C6	C7	C8	C9	CA	СВ	CC	CD	CE	CF
tigu	tigi	tige	tigei	tiga	tigai	tigo	tigoi	tigw	tigwi	tigwe	tigwei	tigwa	tigwai	tigwo	tigwoi
Do	D1	D2	D3	D4	D5	D6	D7	D8	D9	DA	DB	DC	DD	DE	DF
tiju	tiji	tije	tijei	tija	tijai	tijo	tijoi	tijw	tijwi	tijwe	tijwei	tijwa	tijwai	tijwo	tijwoi
Eo	E1	E2	E3	E4	E5	E6	E7	E8	E9	EA	EB	EC	ED	EE	EF
tidu	tidi	tide	tidei	tida	tidai	tido	tidoi	tidw	tidwi	tidwe	tidwei	tidwa	tidwai	tidwo	tidwoi
Fo	F1	F2	F3	F4	F5	F6	F7	F8	F9	FA	FB	FC	FD	FE	FF
tibu	tibi	tibe	tibei	tiba	tibai	tibo	tiboi	tibw	tibwi	tibwe	tibwei	tibwa	tibwai	tibwo	tibwoi

 \mathcal{D}_{P} 12.1: Basic hexadecimal numbers

12.1.1.2. Decimal Numbers – Base 10

Since most people are far more accustomed to base 10 numbers, GENUS $\chi_{D^{--}}$ ta-- is entirely dedicated to decimal numbers from 0 to 99. All are shown in D_{D} 12.2. In order to avoid confusion, the 156 unused words in this genus are permanently defined as "meaningless".

(D	1	2	3	4	5	6	7	8	9
ta	hu	tahi	tahe	tahei	taha	tahai	taho	tahoi	tahw	tahwi
1	0	11	12	13	14	15	16	17	18	19

taxu	taxi	taxe	taxei	taxa	taxai	taxo	taxoi	taxw	taxwi
20	21	22	23	24	25	26	27	28	29
tasu	tasi	tase	tasei	tasa	tasai	taso	tasoi	tasw	taswi
30	31	32	33	34	35	36	37	38	39
tafu	tafi	tafe	tafei	tafa	tafai	tafo	tafoi	tafw	tafwi
40	41	42	43	44	45	46	47	48	49
taru	tari	tare	tarei	tara	tarai	taro	taroi	tarw	tarwi
50	51	52	53	54	55	56	57	58	59
tayu	tayi	taye	tayei	taya	tayai	tayo	tayoi	tayw	taywi
60	61	62	63	64	65	66	67	68	69
tanu	tani	tane	tanei	tana	tanai	tano	tanoi	tanw	tanwi
70	71	72	73	74	75	76	77	78	79
tamu	tami	tame	tamei	tama	tamai	tamo	tamoi	tamw	tamwi
80	81	82	83	84	85	86	87	88	89
taku	taki	take	takei	taka	takai	tako	takoi	takw	takwi
90	91	92	93	94	95	96	97	98	99
tacu	taci	tace	tacei	taca	tacai	taco	tacoi	tacw	tacwi

 \mathcal{D}_{p} 12.2: Basic decimal numbers

12.1.2. Additional Number-Bases

Not to slight any other potential ways of counting, NN offers words for numbers based on several bases.

- Tux- X₁ Names for **number bases**: base 2 through base 16
- *Twe-* 为 **Non-Integer** Number Bases:
 - Tweh- \rightarrow Twef- $\mbox{\em Numbers base Pi}\ \pi$ (n π)

 - Tweg- \rightarrow Tweb- $\mbox{ Hyv}$ \rightarrow $\mbox{ Hyz}$ Numbers base $\mbox{ e (ne)}$

12.2. Multipliers and Dividers

To extend the basic numbers, NN provides several sets of exponents to serve as multipliers and dividers of the basic numbers. (\mathfrak{D}_{ρ} 12.3)

First syllable	IPA	NN	Semantics
Teih-	tεjh	туК	Powers of 2 (1 to 7, -1 to -8)
Teix-	tεj∫	JJK	Powers of 2 (8 to 15, -9 to -16)
Teis-	tejs	$k \perp K$	Powers of 10 (1 to 7, -1 to -8)
Teif-	tɛjf	$_{ m L}$ K	Powers of 10 (8 to 15, -9 to -16)
Teir-	teja	٦_	Powers of 16 (1 to 7, -1 to -8)
Teiy-	tɛjʒ	JYK	Powers of 16 (8 to 15, -9 to -16)
Tein-	tεjn	χ	Powers of e (1 to 7, -1 to -8)
Teim-	tεjm	χ K	Powers of e (8 to 15, -9 to -16)
Teik-	tejk	идК	Powers of i (1 to 7, -1 to -8)
Teic- to Teib-			(undefined)

 $\mathcal{D}_{\!\scriptscriptstyle P}$ 12.3: Number multipliers and dividers

Each of these GENI is organized in the same way. $\lambda_{J}I$ - Teih- is given as an example in \mathfrak{D}_{ρ} 12.4:

Roman	IPA	NN	Meaning	Value
teihu	tɛj'hə	117K	Powers of 2	
teihi	tɛj'hi	JIJK	2 ^ 1	2
teihe	tεj'he	P _I PK	2 ^ 2	4
teihei	tεj'hεj	$\gamma_{ m I}$	2 ^ 3	8
teiha	tεj'ha	ATIL	2 ^ 4	16
teihai	tεj'haj	AT:	2 ^ 5	32
teiho	tεj'hə	1	2 ^ 6	64
teihoi	tɛj'həj	\Im^{I} $\!$	2 ^ 7	128
teihw	tεj'hu	ЫŢК	2 ^ -1	0.50000000
teihwi	tɛj'hwi	PIJK	2 ^ -2	0.25000000
teihwe	tɛj'hwe	KIYK	2 ^ -3	0.12500000
teihwei	tɛj'hwɛj	\mathcal{R}^{I}	2 ^ -4	0.06250000
teihwa	tɛj'hwa	WIPK	2 ^ -5	0.03125000
teihwai	tɛj'hwaj	PIJK	2 ^ -6	0.01562500
teihwo	tej'hwə	&ITK	2 ^ -7	0.00781250
teihwoi	tεj'hwəj	\Re^{I} JK	2 ^ -8	0.00390625

D_o 12.4: Illustration of how multipliers and dividers work

Words beginning with λ_{dL} - Tei- express powers of 2, 10, 16, e, and i ($\mathfrak{D}p$ 12.5 below). They can be used combined with the basic numbers. If the basic number precedes the λ_{dL} - Tei- word, their values are multiplied; if the basic number follows the λ_{dL} - Tei- word, the values are added.

12.2.1.1. Examples

 \mathcal{D}_{ρ} 12.5: Fractions and compounds

		Larger Ni	umbers
תֻערַ	Tafa	34	'thirty-four'
Jr <u>C</u> √	Тауо	56	'fifty-six'
JAJK PKPK	Teise tafa	134	'one hundred plus thirty-four' or 'hundred thirty-four'
PYPK ፊፖላK	Tafa teise	3400	'thirty-four times one hundred', or
			'thirty-four hundred', or
ኮ ዮዮ ፈተፈ የተገ	Tahei teisei taha teise	3,400	'three thousand four hundred'
νጋαΚ הזטא ארזא איטוע איזא איטוע	Tahei teisei taha teise tayo	3,456	'three thousand four hundred fifty-six'
	Base	10 Fractio	nal Numbers
PKPK	Teisw	0.1	'one tenth'
PKPK	Teiswi	0.01	'one one hundredth'
PKYK ፈ丫ፈK	Tafa teisw	3.4	'34 times 0.1'
_ያ ሉያK ፈ ^ሊ ፈ	Tafa teiswi	0.34	'34 times 0.01'
ኅ <mark>አ</mark> ኅK _ګ κֆΚ	Teiswi tafa	34.01	'0.01 plus 34'
√ገላΚ ^γ ΣΊαΚ	Tayo teiswe tafa	34.56	'56 times 0.01 plus 34'
			al part is introduced by a basic number. This results on of the clusters of basic and multiplier (see next
ԴጋባK ባ ሊባK ЬሌቴK Ь፤ባK ቻሉቴk	Tahe teise tafa tayo teiswi	234.56	'two hundred thirty-four point five six', or $(2*100+34)+(56*0.01)$

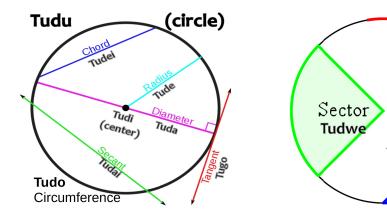
12.3. General Number and Measurement Concepts

Species λ_{t-} Tu-- provides representation of a wide variety of concepts related to numbers and measurements. Each is discussed briefly in this section.

- Tuh- təh 为ıı **Types of Numbers:** not yet defiined.
- Tux- təʃ ⋊ıL **Number bases**: base 2 through base 16

Arc Tudoi

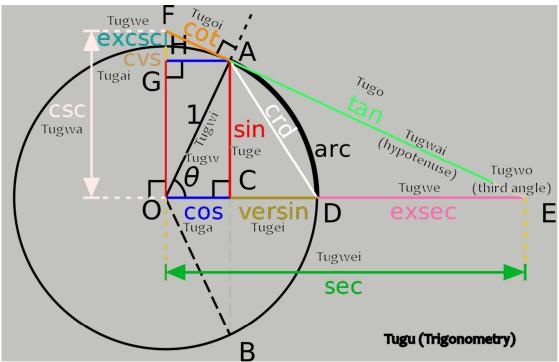
•	Tus-	təs	$k^{\mathfrak{I}}$ K	Branches of Mathematics:
				Several theoretical and applied areas are defined
•	Tun-	tən	$\chi_{\mathfrak{I}}$ K	Algebraic Concepts: not yet defined
•	Tuk-	tək	ν \mathfrak{s} K	Geometry: not yet defined
•	Tud-	təd	ъıК	Circles: measurements for circles (Do 12.6)



D_P 12.6: Circle terms

- Tuj- tədʒ শাম Calculus: not yet defined
- Twai- twaj ઋg- **Constants**: Pi, e, Square root of -1, etc.: not yet defined

■ Tug- təg শ Trigonometry: Dp 12.7 illustrates the basic concepts of Trig and their NN equivalents:



D_p 12.7: Trigonometry terms

Tuf- təf $\exists x_{\perp}$ Whole and Parts: Words in the $\exists x_{\perp}$ Tuf- species refer to functional and structural aspects of an object's parts. In case the size of an object's parts is of interest, the usual three size-ranges are provided (small, mid, large). Beyond very simple objects, most things are composed of assemblies of smaller parts, which form "systems". A "system" is collection of parts combined in such a way as to produce a desired result. $\exists x_{\perp}$ Tufi indicates a basic component, regardless of size; or small: $\exists x_{\perp}$ tufei, mid-size: $\exists x_{\perp}$ tufai, or large: $\exists x_{\perp}$ tufoi. In most cases, the basic elements $\exists x_{\perp}$ tufi, are combined into sub-systems $\exists x_{\perp}$ tufwi, which in turn combine to make systems, $\exists x_{\perp}$ tufw. At each system-level, it is possible to add a vowel to indicate relative size (as illustrated above with tufi). Viewed as a collection of parts or as a system of systems, an object as a whole can be referred to as $\exists x_{\perp}$ Tufwo.

Tur-	təa	TIK	Mathematical Operation	ons	
• Ac	dd:		К	pr-L	turi
• M	ultiply:		К	lt L'4	ture
• Rá	aise to a	power:	К	prp	tura
• Di	ivide:		К	ኬርዲ	turo
• No	egation	:	К	pr-4	turw
• St	ıbtract:		К	pr-զ	turwi
• N	umeric	root:	К	pr-4	turwa
• No	egative	power:	К	ht X	turwo

- Mathematics (the field of study): אָנרנ turu
- Tuy- təʒ $\lambda \in \mathbb{L}$ Logic Operations: A logical operation is $\lambda \in \mathbb{L}$ tuyu, and 15 logical operations are defined from $\lambda \in \mathbb{L}$ tuyi through $\lambda \in \mathbb{L}$ tuywoi:

\rightarrow	Material condition 'imply':	J⊒¤K	tuyi
Τ	Truth 'tautology':	ΥΣΓΥ	tuye
3	'there exists':	₽JıK	tuyei
٨	Conjunction 'and':	AΣΓΓ	tuya
A	'for all':	A1⊏D	tuyai
V	Disjunction 'or':	¥દ્વ	tuyo
↔	Exclusive or:	3J⊒K	tuyoi
٦	Negation 'not':	ЯΣ⊏ч	tuyw
←	Converse implication 'if':	₽⊒¤K	tuywi
\perp	Falsity, contradiction:	K⊒≇K	tuywe
\leftrightarrow	Biconditional 'if and only if':	\mathcal{R} IK	tuywei
/>	material nonimplication 'but not':	ΆΣΓΑ	tuywa
↑	Alternative denial 'not both':	₽J≇K	tuywai
\downarrow	Joint denial 'neither nor':	RJ≇K	tuywo
Ø	Absurd (not standard logical operator):	$\Re \Im^{\mathfrak{T}} K$	tuywoi
	^ V	Truth 'tautology': ∃ 'there exists': ^ Conjunction 'and': ∀ 'for all': V Disjunction 'or': Exclusive or: Negation 'not': Converse implication 'if': Falsity, contradiction: Biconditional 'if and only if': material nonimplication 'but not': Alternative denial 'not both': Joint denial 'neither nor':	Truth 'tautology': ⅓₽□√ ithere exists': ⅓₽□√ Conjunction 'and': ⅓₽□↑ 'for all': ⅓₽□↑ 'for all': ¾₽□↑ Disjunction 'or': ¾₽□√ Exclusive or: ¾₽□√ Negation 'not': ¾₽□√ Converse implication 'if': ¾₽□√ Falsity, contradiction: ¾₽□√ Biconditional 'if and only if': ¾₽□√ Maternative denial 'not both': ¾₽□√ Alternative denial 'not both': ¾₽□√ Joint denial 'neither nor': ¾₽□√

- Tum- təm 为tæ Size Ranges: "Size range" in this context indicates the relative size of objects or entities. The purpose of having such words in NN is to allow people to talk about imprecise sizes while giving an idea of the scale. The English words "large" and "small" have meaning only if the context is known: a "large rabbit" and a "large man" are are not close to the same size. Words in this SPECIES can be used either to indicate a general range, or as a modifier to qualify words indicating relative size 为tæ Tup- or quantity 为tæ Tub-, like "big" or "small". Sizes range from 'below sub-atomic scale' through 'human scale' to 'universal, relative to creation as we know it'.
- Tup- təp $\exists x$ Comparative Sizes: these words are used within a size-range to indicate withere within that range something fits.
- Tub- təb $\exists x_X$ Comparative Quantities: these words work for quantity just like "comparative sizes" work.
- Tuc- tətʃ $\mbox{\ensuremath{\mbox{$\mbox{\mathcal{H}}}}\mbox{\ensuremath{\mbox{\mathbb{Z}}}\mbox{\$

- Tud- təd 为ty Circle parts and measurements: Dp 11.2 illustrates the words for describing circles.
- Tut- tət און **Dimensions:** not yet defined

12.4. Measurements

12.4.1. General Measurements

Genus y- Two- represents useful length, weight/mass, volume, and speed measurements.

As the basis for its measurements, NN uses the SI – "Sistème International" (meter, liter, gram – these are the units accepted throughout most of the world) but provides words for "English units", used in the US and (to some extent still) in the UK. Vocabulary is also set aside for measures in other systems as well.

The "native" measurements within NN provide units of each measurement (meter, liter, gram) that increase and decrease by 16, rather than by 10 as in the standard metric system. NN words for the base 10 measures are, of course, provided as well.

Speed is measured in units of *length per unit of time*. Metric and English are both based on the standard second, but NN's time measurement system is based on sixteenths of a day (§12.5 below). Thus separate SPECIES are required for speeds based on standard time units and NN time units.

Finally, NN offers three SPECIES for discussion of astronomical measurements. The first two are based on the Astronomical Unit (AU: 149.6 million kilometers, the mean distance from the center of the earth to the center of the sun) while the third expresses measures in Paralax Units (Parsecs: .648000/ π *au, or approximately 3.0856775814913673×10¹⁶ meters).

Do 12.8 below presents the GENUS NO- Two-:

Roman	IPA	NN	Semantics
twoh-	twəh	^I RK	Length – Nwehu Nuswei SI Hexadecimal units
twox-	twə∫	JRK	Length – SI (Système International)
twos-	twəs	K R K	Length – English units
twof-	twəf	J. RK	Length and Speed – other units
twor-	twoa	TRK	Weight/Mass – native Nwehu Nuswei units
twoy-	twəz	JRK	Weight/Mass – SI (Système International)
twon-	twon	$\chi_{ m KK}$	Weight/Mass – English units
twom-	twəm	χ_{K}	Weight/Mass – other units
twok-	twok	uRK	Volume – native Nwehu Nuswei units
twoc-	twətʃ	<i>J</i> 'RK	Volume – CGPM (metric)
twot-	twat	KRK	Volume – English units
twop-	twəp	KRK	Length – Nwehu Nuswei AU-based units
twog-	twəg	7 ⁹ K	Length – Astronomical Units (AU)
twoj-	twodz	Z'RK	Length – Paralax Units (Parsecs)
twod-	twod	KRK	Speed – Nwehu Nuswei SI Hex + Hex Time units
twob-	twob	X RK	Speed – Newhu Nuswei AU-based units

D_P 12.8: Length, weight, volume, speed

12.4.2. Measure of Energy, Waveforms

GENUS X_R *Twoi*- is to represent "Measures of Energy, Waveforms"; further measures of physical and chemical phenomena may be represented in the K- and G- families, but none of these have yet been defined.

12.5. Time

12.5.1. Time Concepts

Like most other time measurement systems, NN begins with the rotation of the earth and its revolution around the sun. Vocabulary space is also provided for planets with other rotation / revolution times, and for situations where the night-day distinction is not relevant. Vocabulary for the currently-standard time measurement system is also provided, of course.

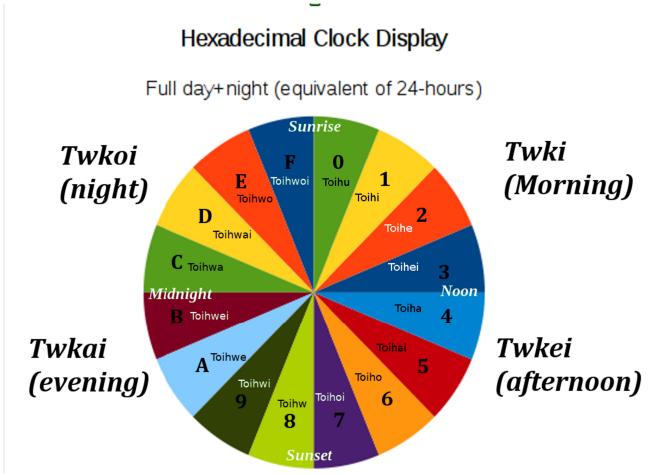
12.5.1.1. Time: Larger Units

Genus $\lambda_{\text{-}}$ — To— represents years and multiples of years, seasons, Gregorian months, lunar months, and standard weekday names. In addition, several NN calendar day-names in groups from 3 to 16 days, plus festivals and half-months are represented. The NN calendar system is complex and offers several options for dividing the year into groups, so the calendar is discussed in its own chapter, 13.

12.5.1.2. Time: Smaller Units

Divisions of time within a day are represented in genus $\lambda_{\mathbb{C}}$ —Toi—. The standard 24-hour day with 60 minutes per hour and 60 seconds per minute are each given a name (\mathfrak{D}_{p} 12.9). So to refer to 9 a.m., the single word $\lambda_{\mathbb{C}}\mathcal{F}_{\mathcal{A}}$ toinwe can be used ($\lambda_{\mathbb{C}}\mathcal{F}_{\mathcal{A}}$ toinwe is \mathfrak{P}_{16} and $\lambda_{\mathbb{C}}\mathcal{F}_{\mathcal{A}}$ toinwe is \mathfrak{P}_{10}).

Beginning with sunrise, the "native" NN day is divided into 16 units, each of which is divided into 16 smaller units (\mathfrak{D}_{ρ} 12.9).



D_p11.3: Nwehu Nuswei 16-hour clock

Each of these units is further subdivided into sixteenths, down to $_{\text{ABF}}$ toirwoi which is approximately 2.92734586571086E-16 of a standard second.

Discussion of numbers and measurements in Nwehu Nuswei continues in Chapter 13 with the Calendar.